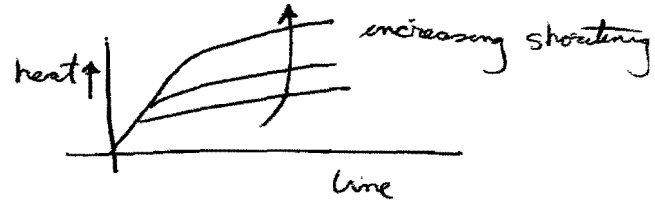


①

(a) Shortening heat is the extra heat when it shortens compared to what it produces under isometric conditions. This is the Fenn effect. Fenn discovered that this effect is



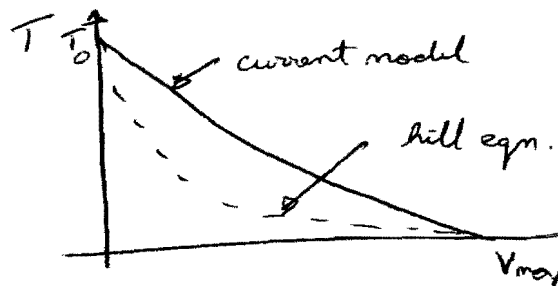
(b)

$$(i) T \dot{L} A = \int_{-\infty}^{\infty} \left[n(x) \frac{m A s}{2} \right] x \lambda dx$$

$$= \frac{m s \lambda}{2 \ell} \left[\int_{-\infty}^0 n_0 e^{\frac{kx}{v}} x dx + \int_0^h n_0 x dx \right]$$

$$= \frac{n_0 s \lambda m}{2 \ell} \left[\frac{h^2}{2} - \frac{v^2}{k^2} \right]$$

(ii)



$$T_0 = \frac{n_0 s \lambda m h^2}{4 \ell}$$

$$v_{max} = \frac{k h}{\sqrt{2}}$$

Hill eqn. is hyperbolic while in current model T decreases quadratically with v .

②

Examiner's comment:

Well-answered by most candidates. Some candidates struggled on using the Huxley model to determine the tension-velocity relationship.

(3)

2

(a)

$$(1) (T+a)v = b(T_0 - T)$$

$$v = \frac{b(T_0 - T)}{T+a}$$

$$\text{Power} = vT = \frac{bT(T_0 - T)}{T+a}$$

$$(ii) \text{ for power } \frac{d}{dT} (vT) = 0$$

$$vT = P = \frac{b(T_0 - T)}{1 + \frac{a}{T}}$$

$$\frac{dP}{dT} = 0 \Rightarrow \left(\frac{1}{a} + \frac{1}{T}\right) = \left(\frac{T_0}{T^2} - \frac{1}{T}\right)$$

$$T = \frac{-2a \pm \sqrt{4a^2 + 4aT_0}}{2}$$

$$v_{\text{opt}} = \frac{b \left[1 + \frac{a}{T_0} - \sqrt{\frac{a^2}{T_0^2} - \frac{a}{T_0}} \right]}{\sqrt{\frac{a^2}{T_0^2} + \frac{a}{T_0}}}$$

(b) Myoglobin stores oxygen & releases it when the environmental oxygen concentration is low. This is the mechanism that gives ~~the~~ the enhanced diffusion rate & not the actual transport of oxygen

④

(c) large molecules such as glucose are transported across the cell membrane via carrier mediated transport mechanisms e.g. uniports, symports etc.

EXAMINER'S

COMMENT:

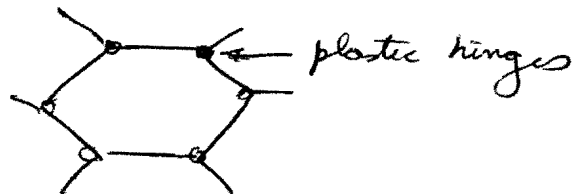
On the whole the question was reasonably well attempted but a number of students were confused on the dual role of myoglobin.

(3)

(a) (i) The membrane comprises spectrin fibres in the form of a triangulated lattice. The fibres are wavy & hence there is a low initial modulus. With increasing straining, the fibres straighten & hence ~~at~~ we get a lock-up strain as further straining requires stretching of the spectrin fibres.

(ii)

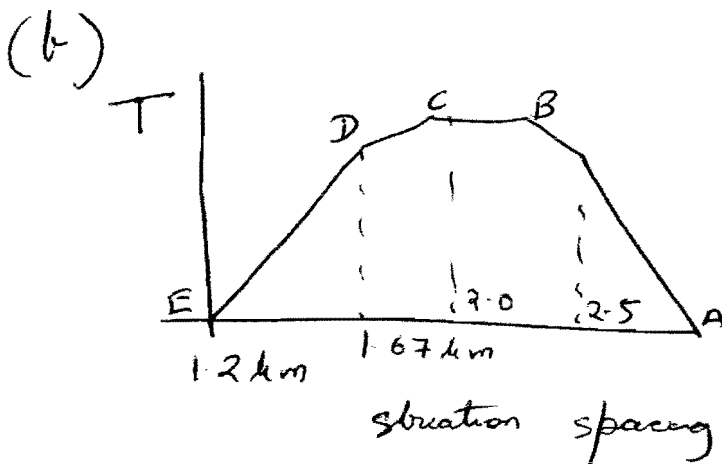
Wood resembles a honeycomb structure - along the grain it is a stretching structure while ~~across~~ across it it is bending



(iii) ⑤

Plants have chloroplasts for capturing energy & for storing the energy as glucose (& starches). They consume the glucose in their mitochondria & generate ATP.

Animal cells do not have chloroplasts but do have mitochondria. These ~~&~~ have proton driven pumps to use the energy liberated by aerobic & anaerobic hydrolysis of glucose to produce ATP ~~&~~ from ADP



The tension changes with change in ~~the~~ overlap between the thick & thin filaments as shown.

Examiner's comment:

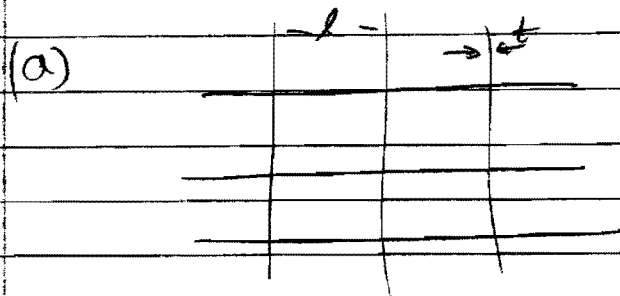
A popular and straightforward question, well-answered by most candidates. However, a number of students not understand why spectrin is a bending structure at one length scale and a stretching structure at another length scale.

(6)

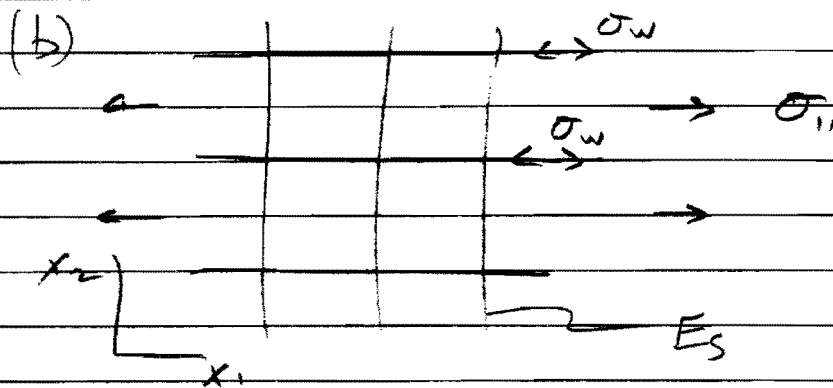
11'

(4)

Square Lattice



$$\bar{\rho} = \frac{1}{2} \frac{4tl}{l^2} = \frac{2}{l}$$



Macroscopic stress is σ_{11} .
Wall stress is σ_w .

$$\sigma_w \cdot t = \sigma_{11} l \Rightarrow \sigma_w = \sigma_{11} \frac{l}{t}$$

wall strain is $\epsilon_w = \frac{\sigma_w}{E_s}$

Macroscopic strain = wall strain

$$\Rightarrow \frac{1}{E} = \frac{\epsilon_w}{\sigma_{11}} = \frac{\epsilon_w}{\sigma_w} \cdot \frac{\sigma_w}{\sigma_{11}}$$

$$= \frac{1}{E_s} \cdot \frac{l}{t}$$

$$\Rightarrow E = \frac{t}{l} \cdot E_s = \frac{1}{2} \bar{\rho} E_s$$

⑦

cont'd.

(b)

Transverse strain in wall is

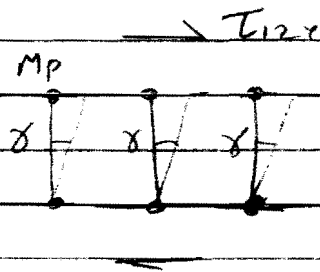
$$\epsilon_{wzz} = -\nu_s \epsilon_w = -\nu_s \frac{\sigma_{11}}{E}$$

\Rightarrow Macroscopic transverse strain is zero

(c) Tensile strength $\sigma_{11} = ?$

$$\sigma_{11} = \frac{t}{l} \cdot \sigma_{ys} = \frac{1}{2} \bar{\rho} \sigma_{ys}$$

Shear strength $\tau_{12x} = ?$



$$\tau_{12x} \cdot l \cdot t \cdot (\gamma l) = M_p \cdot \gamma \quad M_p = \frac{1}{4} \sigma_{ys} t^3$$

$$\Rightarrow \tau_{12x} = \frac{1}{4} \sigma_{ys} \left(\frac{t}{l}\right)^2 = \frac{1}{16} \bar{\rho}^2 \sigma_{ys}$$

(d)



The elastin fibers reduce the rotations stiffen and strength of the joints \Rightarrow large drop in τ_{12x} but a small change in E

Examiner's comment:

An unpopular question similar to the previous year. The students struggled with calculating the shear strength of the square lattice.